# PRESENTATION TO SAN JOSE POLICE \& FIRE BOARD 

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## The Efficient Frontier



Figure: The Efficient Frontier

## Investor Preferences



Figure: Investor Preferences on the Efficient Frontier

## Dos and Don'ts

## DON'Ts

- Do not tinker with the CMAs
- Do not tinker with the portfolio weights
- Do not second guess your investment staff

DOs

- Review critically the CMAs
- Set constraints
- Decide where on the efficient frontier you want to be


## Does it Really Apply?

Two ways to get there:

- Returns are Normally distributed (bell-shaped). In that case, Mean/Variance describe the entire distribution. There is nothing else.
- You have a Mean/Variance utility function. Maybe there are other features of the return distribution, but you don't care about them.
- Unfortunately ... both of these are obviously NOT TRUE in the real world.
- Therefore, the Efficient Frontier doesn't tell the whole story.
- Example: We believe that there are occasional large, negative shocks (left skew).
CONCLUSION: We have to consider other attributes of the portfolio.


## Distributions are hard

- Mean/Variance don't tell you the whole story. Tails are important (especially the left tail).
- Tails are VERY hard to model.
- If anyone tells you something like "There is a 5\% probability that your return will be worse than -X\%" ...
- DON'T BELIEVE A WORD OF IT. NO ONE HAS ANY IDEA WHETHER ITS 5\%, 10\% OR 1\%!!
- Don't be lulled by a false belief that we have it all modeled out.
- Remember Niels Bohr's dictum: "Prediction is very difficult, especially about the future!"


## Some Progressive Steps

A suggestion for building up to your final portfolio. Start simple, then add complexity.

- 60/40
- Simple Passive Portfolio
- More Complex, "quasi-Passive" Portfolio
- Active Portfolio

At each stage, you should ask, "Do we believe this added complexity will yield better results? If not, why are we doing it?"
Ex-ante, you should always be adding more risk-adjusted ER. But maybe ex-post you don't.
This approach allows you to break out each layer of complexity and analyze it for added value.

## Liability Driven Investing

Like Mark Twain said about the weather, "Everybody talks about it, but nobody does anything about it."
Two ways of approaching it:

- Take a slice of the liability stream that has a PV of $\$ 1$ (using the Treasury Yield Curve to discount).
- This is your new "currency". Denominate all assets in this currency, and compute ER and Risk accordingly.
- In this world, your risk-less asset is a dedicated bond portfolio that matches the liabilities. The risk-free rate is 0 .
- Or, stick with USD, but consider that you portfolio is long assets, short liabilities.
Ultimately, these will get you to the same place.
- "OH NO! Interest rates just spiked and our assets just plummeted in value.
- "Oh ... Wait! The liabilities just plunged in value as well. Sort of cancels out :-)


## The Fallacy of the Law of Large Numbers

- Our portfolio has an ER of 6\% (Let's assume this is true)
- The average return over just a few years may be very different from 6\% (True)
- The average return over (large) T years will get quite close to $6 \%$ (True)
- Therefore, our portfolio returns over T years will be close to $1.06^{T}-1$ (False!)


## A Coin Tossing Example

- Coin has a $p(H)=\frac{1}{2}$
- Percentage of H over 4 tosses could be quite different from $50 \%$ (True)
- The percentage of H over (large) T years will get quite close to $50 \%$ (True)
- Suppose toss $1,000,000$ times and get $49.9 \% \mathrm{H}$. That's very close to 50\%
- But we are $1,000 \mathrm{H}$ SHORT!!!
- The shortfall in the average is compounded over $1,000,000$ tosses!

